



## Institute of Infrastructure Technology Research And Management

<b>Course Code:</b>	<b>MA 232001</b>
<b>Course Title:</b>	<b>Discrete Mathematics</b>
<b>Credits:</b>	L T P C 3 1 0 4
<b>Prerequisites (if any) :</b>	
<b>Frequency of Offering this Course</b>	<input type="checkbox"/> Each year

The topics covered in this course:

- Basic logic: Propositional logic: logical connectives; truth tables; normal forms (conjunctive and disjunctive); validity; predicate logic; limitations of predicate logic, universal and existential quantification; modus ponens and modus tollens. Proof techniques: Notions of implication, converse, inverse, contrapositive, negation, and contradiction; the structure of formal proofs; direct proofs; proof by counterexample; proof by contraposition; proof by contradiction; mathematical induction; strong induction; recursive mathematical definitions; well orderings.
- Basics of counting: Counting arguments; pigeonhole principle; permutations and combinations; inclusion-exclusion, recurrence relations, generating functions.
- Fundamental structures; Functions (surjections, injections, inverses, composition); relations (reflexivity, symmetry, transitivity, equivalence relations); sets (Venn diagrams, complements, Cartesian products, power sets); pigeonhole principle; cardinality and countability.
- Graph Theory, Connectivity Euler and Hamiltonian paths, shortest path.

**Textbook:**

1. Discrete Mathematics and Its applications, Kenneth Rosen,

**References book:**

1. Discrete Mathematics by Richard Johnsonbaugh
2. Essential Discrete Mathematics for Computer Science by Harry Lewis and Rachel Zax

**Learning Outcomes:**

After completing this course, the students will be able to

Basics of Discrete Mathematics which comprises the essentials for a computer science student to go ahead and study any other topics in the subject. The emphasis will be on problem-solving as well as proofs.